

# EFFECTS OF DIFFERENT COATINGS ON THERMAL STRESS OF SOLAR PARABOLIC TROUGH COLLECTOR ABSORBER IN DIRECT STEAM GENERATION SYSTEMS

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*Today, solar parabolic trough collectors are the most appropriate technologies in solar power generation due to higher efficiencies in comparison with other collector types. In this paper, a numerical heat transfer model is considered, for simulation of this equipment. The inlet heat flux to the absorber is calculated to be considered as a boundary condition for the external surface of the absorber. Temperature distribution on the absorber is obtained, by the aid of energy equilibrium modeling. Thereupon, thermal and pressure stress at absorber are analyzed in the model by thermal results and finite element methods. In this study, the direct steam generation system is used as the basis for the work. High thermal stress is a defect in direct steam generation systems. In this research thermal performance is improved and stress tolerance can be increased by using the coating on absorber surface. At the end, the most suitable coating is introduced among the variety of considered coatings types.*

*Key Words: Solar power plant; Parabolic trough collector; Direct steam generation system; Heat transfer analysis; Thermal stress analysis; Coating*

## 1. Introduction

In direct steam generation solar power plants, water is being used instead of oil as a fluid which in some cases leads to some fractures in the absorber. It should be noted that fractures mostly occurs in the part wherein the fluid has a boiling regime. The cause of this problem is related to extreme changes in the thermal fluid in a short distance. There are several ways to strengthen and lowering the thermal stress in the absorber from those proper coating can be noted [1]. In choosing the coating material economic factors should be considered in addition to its specifics related to its application [2].

Concentrated solar power plants are one of most applied production procedures by renewable energy. Amongst, linear parabolic trough collectors are the most economical technology for absorbing solar energy [3]. Predicting thermal distribution in the solid material under non-uniform thermal source is one of attracting subjects in the context of designing the solar absorber. To estimate temperature gradient level and non-uniform effective thermal stress, extensive investigations with three perspectives are implemented as below:

1) Studying transient effects of the non-uniform thermal source on a pipe [4] 2) Studying effects of thermal fluid specifications, pipe design and sun beams emitting concentration over the concentrating complex [5] 3) Experimental/ numerical simulations to control thermal stresses [4-6]. Most of the accomplished numerical studies in the literature [7-10] are devoted to the analysis of heat transfer in linear parabolic trough collectors. The fluid flow at the entrance of the considered system is single-phase while by absorbing heat, some bubbles form and two-phase boiling flow are obtained.

41 Effects of some important parameters as temperature and mass flow rate of the inlet water, tube  
42 transmittance and the properties of the absorber surface, on the collector's energy and exergy  
43 efficiency, has been investigated by [11-14]. Zhu et al. [15] studied the performances of organic  
44 Rankine cycle using organic fluids. Their aim was to recover heat from renewable or waste energy  
45 sources.

46 Solar collectors usually are installed in open areas which are faced with high winds. Hachicha et  
47 al. [5] investigated computational fluid dynamics of wind flow around a linear parabolic trough  
48 concentrator under real working conditions.

49 In electricity generating power plants by solar energy, the geometry of devices such as absorber  
50 are of great importance. To achieve certain ranges of geometrical parameters with optimized quality,  
51 Cheng et al. [16] theoretically analyzed the relations between geometrical parameters of the inverter  
52 part and system's focal form. As well, Akbari et al. [17] have performed a theoretical study to discuss  
53 concentration ratio, flux density, temperature distribution and thermal expansions effects over  
54 designing conditions. Thermal stress caused by boiling is studied by considering the thermal profile of  
55 boiling at the inner surface of the pipe [18, 19].

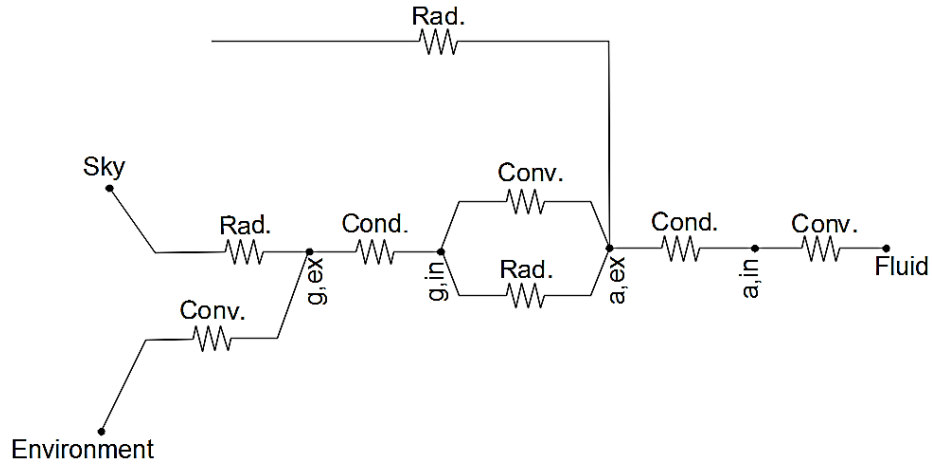
56 In the present study, the direct steam generation system is considered as the power generation  
57 system of the solar plants. Water is used as the working fluid which is proved to show better  
58 performance than oil [20]. The fluid flow from the entrance to the outlet experiences three different  
59 regimes which are comprehensively modeled. Fluid at the pipe inlet is single phase while by flowing  
60 through the pipe and absorbing heat the temperature rises to the boiling point and some bubbles forms.  
61 At this stage, since the fluid bulk temperature is still below the saturation temperature, the formed  
62 bubbles may condense after detaching the pipe wall. This regime is called sub-cooled flow regime and  
63 may last until the bulk temperature reaches saturation condition. Then the fluid is in the two-phase  
64 boiling regime. Due to high-temperature gradient throughout the absorber, considerable thermal stress  
65 at the absorber surface results. To reduce these effects and prevent fractures due to thermal stresses,  
66 three kinds of coatings, namely titanium carbide; black chromium; and nickel, are evaluated. Common  
67 roller shaping is applied for coating the pipe. To demonstrate the connection between the coating and  
68 the pipe in the modeling the sign "Tie" is used in the figures. It will be shown that tangential thermal  
69 stress distribution in the absorber coated with titanium carbide is lower than two other coats.

## 70 **2. Simulation of a linear parabolic receiver and governing approach**

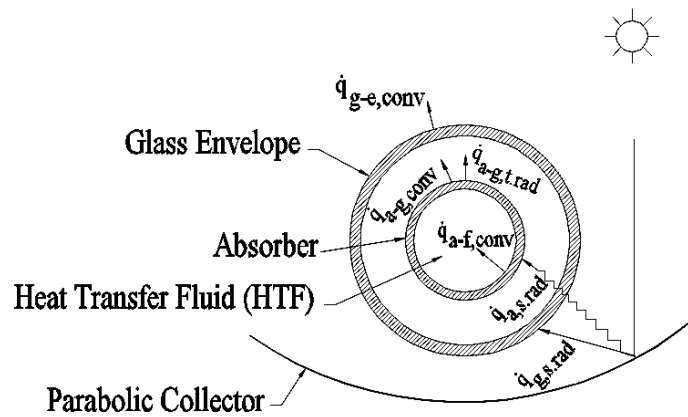
71 The general modeling approach in the present study is the energy balance of the heat collector  
72 element. The equation generally consists of direct sun's irradiance, the optical loss of the parabolic mirror  
73 and the heat collector element, heat losses of the heat collector element as well as fluxes and heats existing  
74 in heat transfer fluid.

75 During a day, the Sun's irradiance on the collector and mirror complex first gets to the parabolic  
76 mirror and reflects off it and then gets concentrated in the heat collector element placed in the focal  
77 distance. On the way, a small amount of the energy with the quantity of  $\dot{q}_{g,s,rad}$  is absorbed by glass  
78 the and the rest of the energy with the quantity of  $\dot{q}_{g,cond}$  passes the glass after passing the width of  
79 the glass wall with heat transfer by conduction and gets to the absorber by radiation heat transfer. The  
80 quantity of the radiated energy is equated to  $\dot{q}_{a,s,rad}$ . Some part of the absorbed energy after passing  
81 the absorber wall by conduction heat transfer with the quantity of  $\dot{q}_{a,cond}$ , by convection heat transfer  
82 with the quantity of  $\dot{q}_{a-f,conv}$  is transferred to heat transfer fluid and in this step the remain returns to

83 the glass by free convection heat transfer ( $\dot{q}_{a-g,conv}$ ) and radiation heat transfer ( $\dot{q}_{a-f,rad}$ ). Finally  
 84 the sum of thermal energies arrived the glass by process of convection heat transfer ( $\dot{q}_{g-e,conv}$ ) is  
 85 transferred to the environment. The heat transfer circuit of these steps is in Fig. 1. These steps can be  
 86 seen in Fig. 2.



87 **Fig. 1. Heat transfer circuit**



88 **Fig. 2. Heat transfer model at the cross section of the heat collector [1]**

89 Each heat transfer process of the absorber, as well as its related equation, will be discussed in  
 90 the following sections.

91 **3. Radiation heat transfer over the glass and on the surface of absorber and Conduction heat**  
 92 **transfer through the glass**

93 As explained before, after reaching parabolic mirror, some sunlight beams are absorbed to the  
 94 mirror and the rest goes to the glass and absorber complex placed at a focal distance. The quantity of  
 95 the beams radiated to the glass can be achieved as the following equations, [18]

$$\dot{q}_{g,s,rad} = \frac{2(\dot{q}_{sun,g}\alpha_g)}{3} \quad (1)$$

$$\dot{q}_{sun,g} = I_{sun}\beta w C r_g \quad (2)$$

96 After reaching the thermal energy to the glass by radiation, it passes through the glass wall by  
 97 conduction heat transfer (Equation 3) [18]:

$$\dot{q}_{g,cond} = \frac{2\pi k_g (T_{g,ex} - T_{g,in})}{\ln\left(\frac{D_{g,ex}}{D_{g,in}}\right)} \quad (3)$$

98 At this stage, a fracture of heat reached to the glass is absorbed according to absorption factor of  
 99 the glass and transfers to the absorber after passing the glass wall as equation 4, by considering  
 100 transmission ratio of glass. The amount of this thermal energy can be calculated as below:

$$\dot{q}_{a,s,rad} = \frac{2(\dot{q}_{sun,a}\gamma\alpha_a)}{3} \quad (4)$$

$$\dot{q}_{sun,a} = I_{sun}\beta w C r_a \quad (5)$$

#### 101 4. Conduction heat flux in the absorber and convection heat flux from the pipe to the fluid

102 At this section, the heat is absorbed by the absorber and by conduction heat transfer process  
 103 passes through the absorber`s wall. This heat transfer is explained by equation (6) [18]:

$$\dot{q}_{a,cond} = \frac{2\pi k_a (T_{a,ex} - T_{a,in})}{\ln\left(\frac{D_{a,ex}}{D_{a,in}}\right)} \quad (6)$$

104 Inside the pipe, the fluid is limited by the absorber`s wall as an internal flow. So the boundary  
 105 layer can`t develop freely without contact with surfaces [18]. After the heat passes the absorber`s wall  
 106 by conduction, the heat is transferred to the fluid inside the pipe. This transfer is of internal convection  
 107 type. The following equations describe the above-mentioned heat transfer [1, 18]:

$$\dot{q}_{a-f,conv} = h_f \pi D_{a,in} (T_{a,in} - T_m) \quad (7)$$

$$Nu_f = 0.023 Re^{0.8} Pr^{0.4} \quad (8)$$

#### 108 5. Fluid energy equations

109 In addition to what explained before about convection heat transfer from the absorber to the  
 110 fluid, because the flow is totally surrounded by the absorber, average temperature changes and the  
 111 relation between convection heat  $\dot{q}_{a-f,conv}$  and temperature difference between input and output can  
 112 be calculated by energy balance, [18].

113 Fluid is flowing with constant flow rate  $\dot{m}$  inside the absorber and convection heat transfer  
 114 occurs between its surface and the fluid. The below relations show the fluid element`s energy balance.  
 115 [11, 18]

$$\dot{q}_{a-f,conv} = \frac{q_{f,conv}}{l} \quad (9)$$

$$q_{f,conv} = \dot{m} C_p (T_{out} - T_{in}) \quad (10)$$

#### 116 6. Convection and radiation heat flux between the absorber and the glass

117 After reaching the absorber, according to its absorption factor, some of the thermal energy is  
 118 absorbed by the pipe and by two processes of conduction and convection heat transfer passes the wall  
 119 and transfers to the fluid. After absorbing this amount of heat, some is reflected in the glass by two  
 120 processes of free convection and radiation heat transfer according to reflection ratio of the absorber  
 121 (pipe).

122 For the condition that is considered in this study, heat is transferred from the pipe to the glass, so  
 123 the pipe temperature is more than the glass temperature [1, 18]:

$$\dot{q}_{a-g,conv} = h_c \pi D_{a,ex} (T_{g,in} - T_{a,ex}) \quad (11)$$

$$h_c = \frac{2k_{eff}}{D_{a,ex} \ln(D_{g,in}/D_{g,ex})} \quad (12)$$

124 As explained above, after absorbing the heat in the absorber the rest of the thermal energy is  
 125 transferred to the glass by two processes of heat transfer. In this section, we explain a little about the  
 126 radiation heat transfer from the absorber to the glass and note the relevant relations as well. Absorber  
 127 and glass surfaces are considered diffuse gray body, emitter, and reflector. As well, the glass is  
 128 considered as opaque material toward thermal radiation, [18]. The following equation explains this  
 129 part of heat transfer,

$$\dot{q}_{a-g,rad} = F_{rad} \sigma \pi D_{a,ex} (T_{g,in}^4 - T_{a,ex}^4) \quad (13)$$

## 130 7. Convection heat flux from the glass to the surrounding environment

131 After two processes of heat transfer from the absorber to the glass, thermal energy passes  
 132 through the glass and by convection heat transfer is transferred to the environment. At this step  
 133 generally, there are free and forced convection simultaneously. In the primary modeling a calm  
 134 atmosphere without wind blowing is considered, eventually, the heat flow is considered to be free  
 135 convection. Relevant relations for modeling this part of heat transfer are [1, 14, 18]:

$$\dot{q}_{g-e,conv} = h_e \pi D_{g,ex} (T_{g,ex} - T_{amb}) \quad (14)$$

$$Nu_e = \left\{ 0.6 + \frac{0.387 Ra^{1/6}}{(1 + (0.559/Pr_e)^{9/16})^{8/27}} \right\}^2 \quad (15)$$

## 136 8. Energy balance equations

137 First law of thermodynamics is applied as a useful tool for many heat transfer problems. In the  
 138 present model two control volumes, control volume of the glass and control volume of the absorber  
 139 can be considered. Relations 16 and 17 respectively are the relations of energy conservation of the  
 140 control volumes considered for the glass and the absorber.

$$\dot{q}_{g,s,rad} + \dot{q}_{a-g,conv} + \dot{q}_{a-g,rad} - \dot{q}_{g-e,conv} = 0 \quad (16)$$

$$\dot{q}_{a,s,rad} - \dot{q}_{a-f,conv} - \dot{q}_{a-g,conv} - \dot{q}_{a-g,rad} = 0 \quad (17)$$

141 The energy balance on the interface of the glass and the absorber can be written as:

$$\dot{q}_{g,cond} + \dot{q}_{a-g,conv} + \dot{q}_{a-g,rad} = 0 \quad (18)$$

$$\dot{q}_{a,cond} - \dot{q}_{a-f,conv} = 0 \quad (19)$$

## 142 9. Stress equations

143 Thermal stress equations governing the absorber are [6]:

$$\sigma_z = \frac{E \cdot \beta_c}{(1 - \nu) \cdot r^2} \left[ \frac{2}{r_{out}^2 - r_{in}^2} \int_{r_{in}}^{r_{out}} T(r) \cdot r \cdot dr - T(r) \right] \quad (20)$$

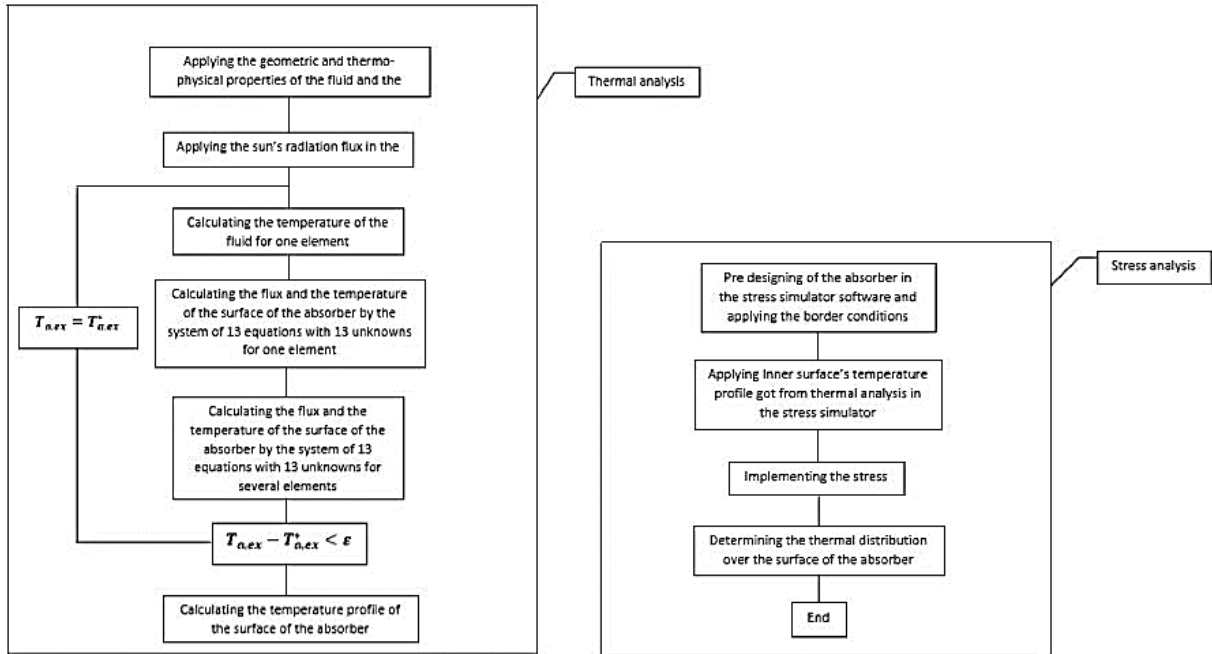
$$\sigma_r = \frac{E \cdot \beta_c}{(1 - \nu) \cdot r^2} \left[ \frac{r^2 - r_{in}^2}{r_{out}^2 - r_{in}^2} \int_{r_{in}}^{r_{out}} T(r) \cdot r \cdot dr - \int_{r_{in}}^r T(r) \cdot r \cdot dr \right] \quad (21)$$

$$\sigma_\theta = \frac{E \cdot \beta_c}{(1 - \nu) \cdot r^2} \left[ \frac{r^2 - r_{in}^2}{r_{out}^2 - r_{in}^2} \int_{r_{in}}^{r_{out}} T(r) \cdot r \cdot dr + \int_{r_{in}}^r T(r) \cdot r \cdot dr - (T(r) \cdot r^2) \right] \quad (22)$$

144 **10. Solution algorithm**

145 The numerical solution is performed by applying one-dimensional element under stable  
 146 conditions. Energy balance equations (equations 16 to 19) is solved in a system of nonlinear algebraic  
 147 equations as for how the relations including temperatures and fluxes are added to the system as well  
 148 and by a repeating process, with solving a system of 13 equations with 13 unknowns using coding, the  
 149 unknowns are calculated [1]. In continuation, the internal temperature of the surface of the absorber is  
 150 calculated, then by this actual approach, the temperature for higher control values is calculated. The  
 151 system of equations performs this process by a direct linear solution and iteration method in the  
 152 longitudinal direction of the pipe [1]. The calculation accuracy has been considered to be equal to  
 153 0.001 for stability and calculation is converged for each element after 17 iterations.

154 Therefore, the general solution algorithm is divided into two main parts: 1) calculating the  
 155 distribution of the concentrated heat transfer from the sun to the mirror and then to the glass and the  
 156 absorber by coding in order to calculation of temperature distribution for external and internal surface  
 157 of absorber 2) Analyzing the thermal stress by consider the temperature distribution and Constraints as  
 158 boundary conditions in the software of stress simulation

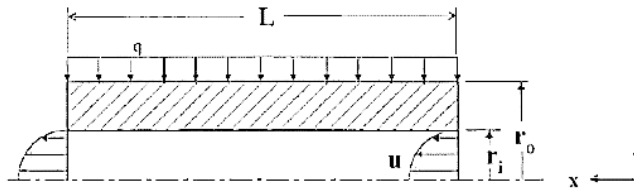


159 **Fig. 3. Solution algorithm**

160 **11. Modeling validation**

161 The geometry of the applied model for validation based on the reference [19] is shown in Fig. 4.

162 In this study, the applied fluid is synthetic oil. The thermophysical properties of this fluid, as  
 163 well as the parameters of the absorber, are shown in tables 1 and 2.



164 **Fig. 4. Considered geometry for thermal modeling and stress analysis in the absorber [19]**

165

Table1. Parameters of the geometry of the glass and the absorber [1]

Parameter	Value	Parameter	Value
Receiver length	7.8 (m)	Glass internal diameter	0.109 (m)
Collector aperture	5 (m)	Glass external diameter	0.115 (m)
Focal distance	1.84 (m)	Receiver absorbance	0.96
Absorber internal diameter	0.066 (m)	Glass transmittance	0.95
Absorber external diameter	0.070 (m)	Parabola specular reflectance	0.93

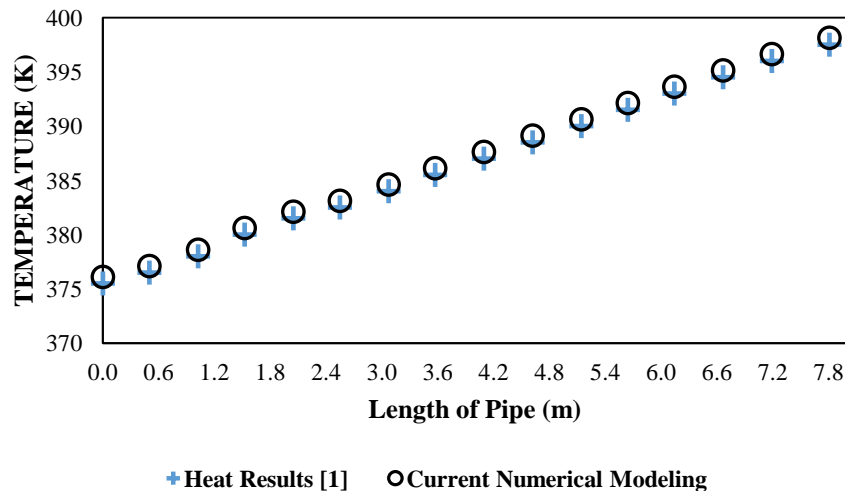
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Table 2. Laboratory parameters used in the analysis according to [1]

Parameter	Value	Unit	Parameter	Value	Unit
Selective coating	Black chrome		Input temperature	375.35	(K)
Thermal conductivity for selective coating	67	$(\frac{W}{m.K})$	Selective fluid	Synthetic oil	
Selective absorber	Ferritic Steel (P-22)		Gravity of fluid	709	$(\frac{kg}{m^3})$
Thermal conductivity for selective absorber	33	$(\frac{W}{m.K})$	Thermal conductivity of fluid	0.078	$(\frac{W}{m.K})$
Incident solar irradiation	933.7	$(\frac{W}{m^2})$	Viscosity of fluid	1.52 E -4	$(\frac{kg}{sec.m})$
Wind speed	0.03	$(\frac{m}{s})$	Specific heat of fluid	2588	$(\frac{J}{kg.K})$
Air temperature	294.35	(K)			

167

168 As seen in Fig. 5, there is a good consistency between the obtained outlet fluid temperature  
 169 with that of Ref. [1].



170

**Fig. 5. Fluid temperature of the present analysis and the obtained results of [1]**

171 About stress validation, we got aid from two different references. First results of thermal  
 172 stresses in the present study are compared with that of ref. [19]. In this investigation, the properties of  
 173 the absorber and the working fluid are as shown in Table 3.

174 Table 3. Properties of the absorber and the working fluid used in [19]

Solid		Fluid	
Absorber Type	Steel	Fluid Type	Water
Thermal conductivity ( $\frac{W}{m.K}$ )	43	0.597	
Thermal expansion ( $\frac{1}{K}$ )	0.373 E -5	-	
Modulus of elasticity ( $GPa$ )	2.1	-	
Poisson's ratio	0.3	-	
Density ( $\frac{kg}{m^3}$ )	-	998.23	
Specific heat ( $J/kg.K$ )	-	4181.8	
Kinematic viscosity ( $m^2/sec$ )	-	1.006 E -6	

175 As noted above, in the present model, thermophysical and mechanical properties of the  
 176 absorber, as well as the working fluid and geometrical specifications, are set similar to Ref. [19] to  
 177 have a good comparison between the results. Distribution of the thermal stress on the inner surface of  
 178 the absorber, as shown in Table 4, are in good consistency with corresponding results reported in Ref.  
 179 [19]. The deviation between the results is about 5%.

180 Table 4. Numerical comparison of thermal stress distribution on the inner surface of the absorber in current  
 181 simulation with [19]

Pipe Length (m)	Result in [19] (MPa)	Current Simulation (MPa)
0.0	243571	255749.55
0.2	201786	211875.30
0.4	142857	149999.85
0.6	190000	199500.00
0.8	210357	220874.85
1.0	218929	229875.45

182 In the reference [19] external coating over the absorber is not considered. For validation of  
 183 thermal stress distribution on the surface of the absorber in the boiling heat transfer with coating  
 184 conditions, reference [6] was used. In table. 5 and table. 6 thermo physical and mechanical properties  
 185 of the working fluid, the absorber and the coating used in this analysis can be seen. Properties in the  
 186 model are set similar to what is mentioned in Ref. [6].

187 Table 5. Thermo physical and mechanical properties of the absorber and the fluid

Absorber		Fluid	
Copper		Thermal Oil	Steam
Density ( $\frac{kg}{m^3}$ )	8930	938	586.3



Specific heat ( $J/kg.K$ )	386	1970	2060
Thermal conductivity ( $W/m.K$ )	384	0.118	0.0246
Thermal expansion coefficient ( $1/K$ )	17.1 E -006	-	-
Modulus of elasticity ( $GPa$ )	128	-	-
Poisson's ratio	0.31	-	-
Kinematic viscosity ( $m^2/sec$ )	-	15.3 E -006	1.271 E -5

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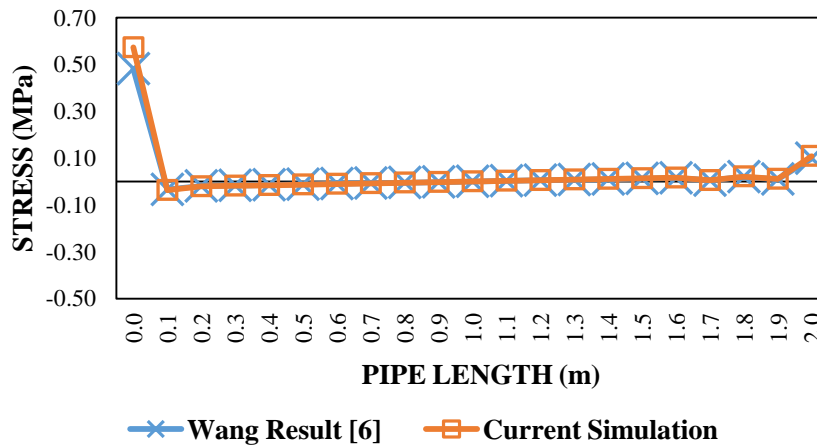
Table 6. Thermo physical and mechanical properties of the coatings used in this study [18]

Coating Type	Nickel	Black Chromium	Titanium Carbide
Density ( $\frac{kg}{m^3}$ )	1728	7160	4938
Specific heat ( $\frac{J}{kg.K}$ )	8900	459.8	522
Thermal conductivity ( $\frac{W}{m.K}$ )	12	67	110
Thermal expansion ( $\frac{1}{K}$ )	13.4E -6	6.2 E -6	7.7 E -6
Modulus of elasticity ( $GPa$ )	200	290	439.43
Poisson's ratio	0.31	0.03	0.188

189

As can be seen in Fig. 6 results of the present study are consistent with results of Ref. [6]. The deviation between the results is about 7%.

190



191

Fig. 6. Comparing radial stress distribution along the absorber in the performed analysis with the similar one in [6]

192

## 193 12. Boiling and superheating steps results

194

In this section applying three different coats of nickel, black chromium and titanium carbide in boiling and super heating steps of the model are considered, and eventually, the coating effect on the heat performance and thermal stress are studied.

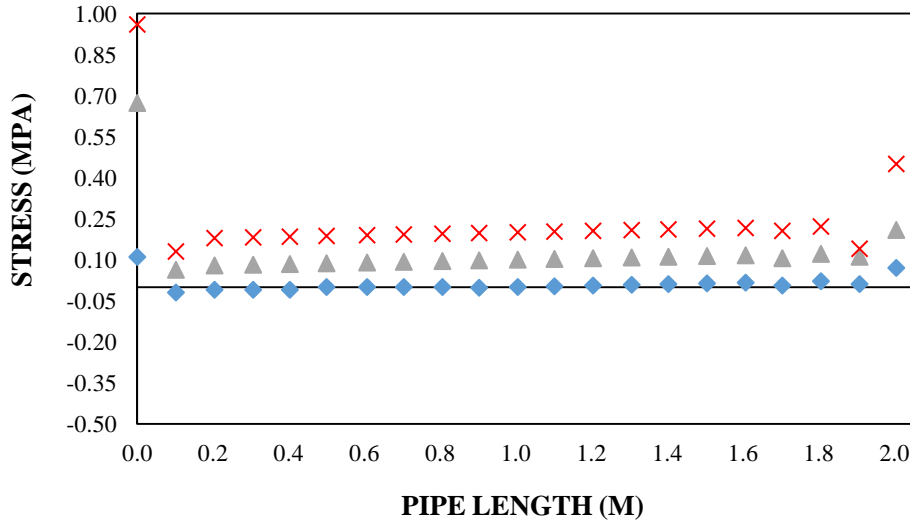
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196

At the boiling step of the model, properties of the pipe material and the fluid are as table 5. Thermo physical and mechanical properties of the primary coating which was considered for this

197

199 model are as table 6. Laboratory conditions are as table 1 while the absorber length in this section is  
 200 equal to 2 meters. Tangential stress distribution along the absorber which is obtained in this situation  
 201 by considering three different coatings of nickel, black chrome, and titanium carbide is as Fig. 7.



◆ Titanium Carbide Coating ▲ Black Chromium Coating × Nickel Coating

202 **Fig. 7. Tangential stress distribution chart along the absorber at boiling step**

203 It should be noted that for numerical analysis of the boiling part in relations mentioned at  
 204 section 4, we should apply the boiling heat flux relation in numerical modeling. The relation is  
 205 explained below [6, 18]:

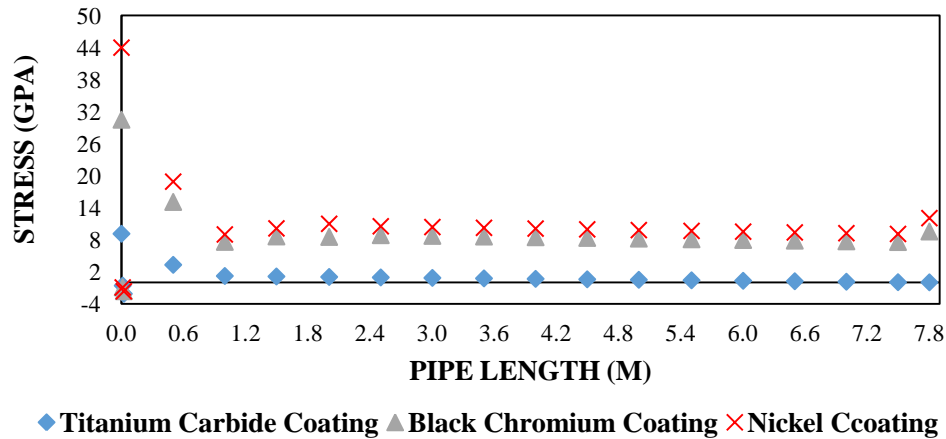
$$\dot{q} = \mu_l h_{fg} D_{a,in} \left[ \frac{g(\rho_l - \rho_v)}{\sigma} \right]^{\frac{1}{2}} \left( \frac{c_{p,l} \Delta T_e}{C_{s,f} h_{fg} Pr_l^n} \right) \quad (23)$$

$$\Delta T_e = T_s - T_{sat} \quad (24)$$

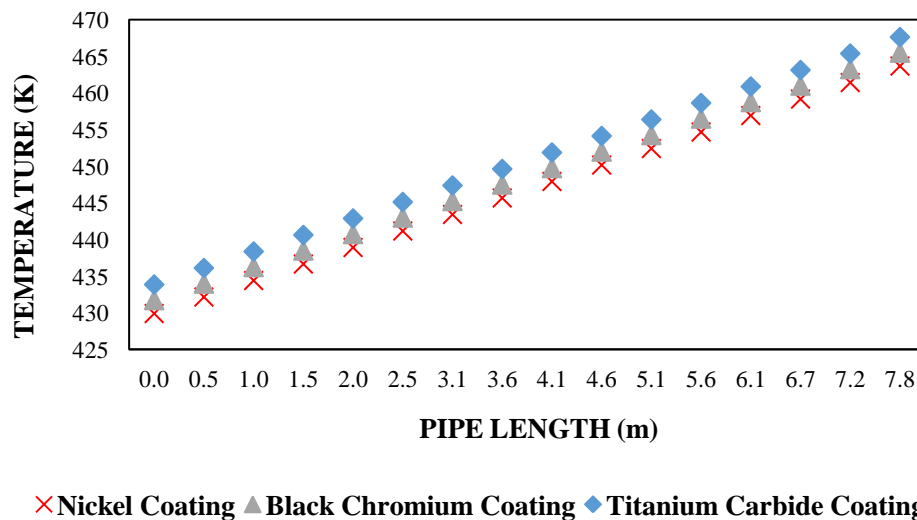
206 By replacing equations (23) and (24) instead of equations (7) and (8) in numerical modeling, a  
 207 temperature profile results for the surface of the pipe which by applying the obtained profile in the  
 208 simulation we can obtain the results of thermal stress distribution. It should be noted that due to the  
 209 boiling concept and continuous heat absorption, the liquid contribution reduces and vapor phase  
 210 increases. Therefore the density decreases as gas phase increases along the pipe.

211 As seen from Fig. 8, in nickel, black chrome and titanium carbide coatings, according to  
 212 increasing the thermal conductivity coefficient for the coatings respectively, tangential thermal stress  
 213 distribution decreases with the same order along the absorber. Titanium carbide material is more  
 214 suitable in comparison with other coatings.

215 For the post boiling flow regime, known as super-heated flow, the simulation is accomplished  
 216 similarly to ref. [1] other considered conditions are consistent with Tables 1, 2, 6. The pipe material is  
 217 P-22 steel. By putting the obtained temperature profiles for the three different coatings in the present  
 218 model, thermal stress analysis is performed. In Fig. 8 tangential stress distribution along the pipe  
 219 obtained for the 3 different coatings can be seen. Temperature distribution for the outer surface of the  
 220 pipe for different coatings is shown in Fig. 9.

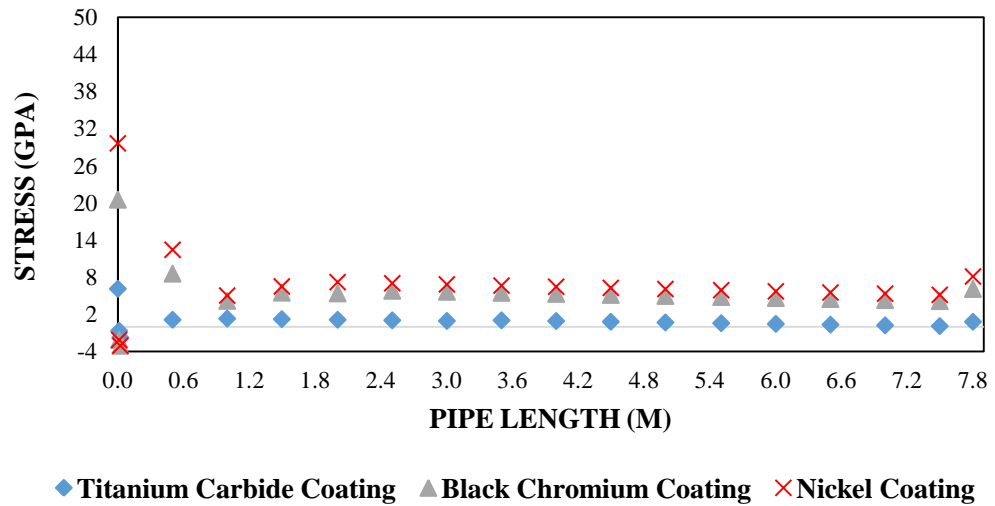


221 **Fig. 8. Distribution of tangential stress along the absorber by synthetic oil fluid**

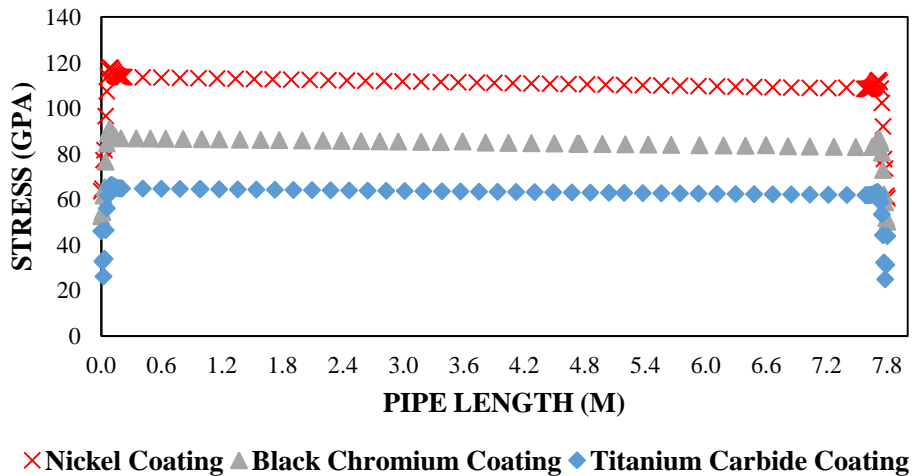


222 **Fig. 9. Comparison of temperature distribution along the by synthetic oil**

223 Then, by considering the mechanical properties in the stress simulation software for every three  
 224 types of coating, the results of tangential stress by steam fluid along the absorber was obtained by  
 225 analyzing, which the comparison of these three analyses can be seen in Fig.10. As well, for the present  
 226 analysis, the results of Mises criterion was obtained too, which can be seen in Fig. 11. As seen in Fig.  
 227 10, tangential stress level along the absorber decreases respectively in the nickel, black chrome, and  
 228 titanium carbide. As well it can be seen in the Mises stress distribution along the border which is cited  
 229 in Fig. 11 and contains a higher precision.



230 **Fig. 10. Tangential stress comparison along the absorber at the superheating step by steam**



231 **Fig. 11. Distribution of Mises stress at the superheating step by steam**

### 13. Conclusion

Employing water as working fluid in direct steam generation systems is more welcomed due to environmental compatibility and inflammability in comparison with oils. Besides the mentioned advantages the probabilities of fractures due to thermal stresses exist by using water as the working fluids in absorbers. In the present study effects of applying different coating layers to improve the absorber properties and consequently to reduce thermal stresses are evaluated. In this regard, a comprehensive modeling from the single phase flow at the inlet of the absorber pipe to the superheated boiling flow at the outlet is accomplished to obtain temperature distribution and accordingly thermal stress all over the absorber surface. By the performed analysis it was concluded that a lower and uniform thermal stress distribution can be obtained by increasing thermal conductivity factor of the coated absorber.

It was found that by use of the boiling flow of water as the heat transfer fluid the level of stresses is 33% lower than the situation which the used fluid was synthetic oil. As the last concluding

remark, the most optimized conditions for the absorber is using the titanium carbide coating with the pipe's material of P-22 stainless steel.

## Nomenclature

- $A_i$  - Internal area of absorber, [m<sup>2</sup>]  
 $C_p$  - Specific heat at constant pressure, [Jkg<sup>-1</sup>K<sup>-1</sup>]  
 $Cr$  - Concentration factor  
 $D_c$  - Diameter of mirror, [m]  
 $D_{g,ex\ or\ in}$  - External or Internal diameter of glass, [m]  
 $D_{a,ex\ or\ in}$  - External or Internal diameter of absorber, [m]  
 $F_{rad}$  - Fraction of black body radiation in a wavelength band  
 $g$  - Gravitational acceleration, [ms<sup>-2</sup>]  
 $I_{sun}$  - Radiation intensity of sun  
 $k_g$  - Thermal conductivity for glass, [Wm-1K]  
 $k_a$  - Thermal conductivity for absorber, [Wm-1K]  
 $L$  - Length of absorber, [m]  
 $\dot{m}$  - Fluid flow rate, [kgs<sup>-1</sup>]  
 $Nu_c$  - Nusselt number for cavity  
 $Pr$  - Prndtl number  
 $Re$  - Reynolds number ( $=\rho vD/\mu$ )  
 $Ra$  - Rayleigh number ( $=g\beta(T_s-T_\infty)L^3/\nu\alpha$ )  
 $T_{g,ex}$  - Temperature of external glass surface, [K]  
 $T_{g,in}$  - Temperature of internal glass surface, [K]  
 $T_{a,ex}$  - Temperature of external absorber surface, [K]  
 $T_{a,in}$  - Temperature of internal absorber surface, [K]  
 $T_m$  - Fluid temperature at middle of absorber, [K]  
 $T_i$  - Fluid temperature at input of absorber, [K]  
 $T_o$  - Fluid temperature at output of absorber, [K]  
 $T_{amb}$  - Ambient temperature, [K]  
 $v$  - Fluid velocity, [ms<sup>-1</sup>]  
 $w$  - Wide of mirror, [m]  
 $\alpha_g$  - Absorptance coefficient of glass  
 $\alpha_a$  - Absorptance coefficient of absorber  
 $\beta$  - Absorptance coefficient of mirror, [1K<sup>-1</sup>]  
 $\beta_c$  - Volumetric thermal expansion coefficient for cavity, [1K<sup>-1</sup>]  
 $\beta_g$  - Volumetric thermal expansion coefficient for glass, [1K<sup>-1</sup>]  
 $\gamma$  - Transmission coefficient ( $=1-\alpha_g$ )  
 $\epsilon_a$  - Emissivity coefficient for absorber  
 $\mu$  - Dynamic viscosity, [kgs<sup>-1</sup>m<sup>-1</sup>]  
 $\sigma$  - Stefan – Boltzmann constant, [Wm<sup>-2</sup>K<sup>-4</sup>]  
 $\rho$  - Fluid density, [kgm<sup>-3</sup>]  
 $Cr_g$  - Ratio between mirror focal and external diameter of glass ( $=D_c/4D_{g,ex}$ )  
 $Cr_a$  - Ratio between mirror focal and external diameter of absorber ( $=D_c/4D_{a,ex}$ )

## References

- [1] A.A. Hachicha, I.Rodriguez, R. Capdevila, A. Oliva, Heat transfer analysis and numerical simulation of a parabolic trough solar collector, *Applied Energy* 111 (2013), pp. 581–592
- [2] Hossein Tuysserkani, Principles of materials science (structure, properties and engineering), second edition, (2005)
- [3] Huseyin Yapiji, Bilge Albayrak, Numerical solutions of conjugate heat transfer and thermal stresses in a circular pipe externally heated with non-uniform heat flux, *Energy Conversion and Management* 45 (2004), pp. 927–937
- [4] Gulshah Ozishik, M. Serdar Gench, Huseyin Yapiji, Transient thermal stress distribution in a circular pipe heated externally with a periodically moving heat source, *International Journal of Pressure Vessels and Piping* 99-100 (2012), pp. 9-22
- [5] A.A. Hachicha, I.Rodriguez, A. Oliva, Wind speed effect on the flow field and heat transfer around a parabolic trough solar collector, *Applied Energy* 130 (2014), pp. 200–211
- [6] Fuqiang Wang, Yong Shuai, Yuan Yuan, Bin Liu, Effect of material selection on the thermal stresses of tube receiver under concentrated solar irradiation, *Materials and Design* 33 (2012), pp. 284–291
- [7] Ricardo Vasquez Padilla, Gokmen Demirkaya, D. Yogi Goswami, Elias Stefanakos, Muhammad M. Rahman, Heat transfer analysis of parabolic trough solar receiver, *Applied Energy* 88 (2011), pp. 5097–5110
- [8] David H. Lobon, Emilio Baglietto, Loreto Valenzuela, Eduardo Zarza, Modeling direct steam generation in solar collector with multiphase CFD, *Applied Energy* 113 (2014), pp. 1338-1348
- [9] Naichia Yeh, Optical geometry approach for elliptical Fresnel lens design and chromatic aberration, *Solar Energy Materials & Solar Cells* 93 (2009), pp. 1309-1317
- [10] M. Isabel Roldan, I. Canadas, J. L. Casas, E. Zarza, Thermal analysis and design of a solar prototype for high-temperature processes, *International Journal of Heat and Mass Transfer* 56 (2013), pp. 309-318
- [11] Jafarkazemi, F., *et al.*, Energy and Exergy Efficiency of Heat Pipe evacuated tube solar collectors, *Thermal Science*, 20 (2016), 1, pp. 327-335
- [12] Senthil, R., Cheralathan, M., Effect of non-uniform temperature distribution on surface absorption receiver in parabolic dish solar concentrator, *Thermal Science* (2015) doi: 10.2298/TSCI150609169S
- [13] Yildizhan, H., Sivrioglu, M., Exergy analysis of a vacuum tube solar collector system having indirect working principle, *Thermal Science*, (2015), doi: 10.2298/TSCI150905009Y
- [14] Vinod. S., *et al.*, Experimental and numerical analysis of convective heat losses from spherical cavity receiver of solar concentrator, *Thermal Science*. (2015) doi:10.2298/TSCI150601165S
- [15] Zhu, *et al.*, Performance analysis of organic Rankine cycles using different working fluids, *Thermal Science*, 19 (2015), 1, pp. 179-191
- [16] Ze-Dong Cheng, Ya-Ling He, Kun Wang, Bao-Cun Du, F.Q. Cui, A detailed parameter study on the comprehensive characteristics and performance of a parabolic trough solar collector system, *Applied Thermal Engineering* 63 (2014), pp. 278-289
- [17] S. M. Akbarimoosavi, M. Yaghoubi, 3D Thermal-structural analysis of an absorber tube of a parabolic trough collector and the effect of tube deflection on optical efficiency, *Energy Procedia* 49 (2014), pp. 2433 – 2443

- [18] Frank P. Incropera, David P. Dewitt, *Fundamentals of Heat and Mass Transfer*, John Wiley & Sons Inc., New York, USA, seven edition, 2007
- [19] Iyad Al-Zaharnah, Thermal Stresses in Pipes, Ph.D. Thesis, School of Mechanical & Manufacturing Engineering, Dublin City University, Dublin, Republic of Ireland, April 2002
- [20] David H. Lobon, Emilio Baglietto, Loreto Valenzuela, Eduardo Zarza, Modeling direct steam generation in solar collectors with multiphase CFD, *Applied Energy* 113 (2014), pp. 1338–1348